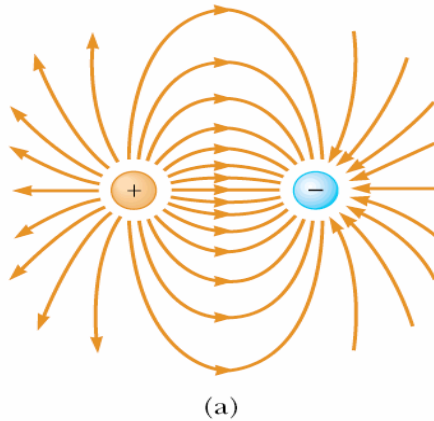


Electric Field Lines

Serway, Physics for Scientists and Engineers, 5/e
Figure 23.21a



Harcourt, Inc.

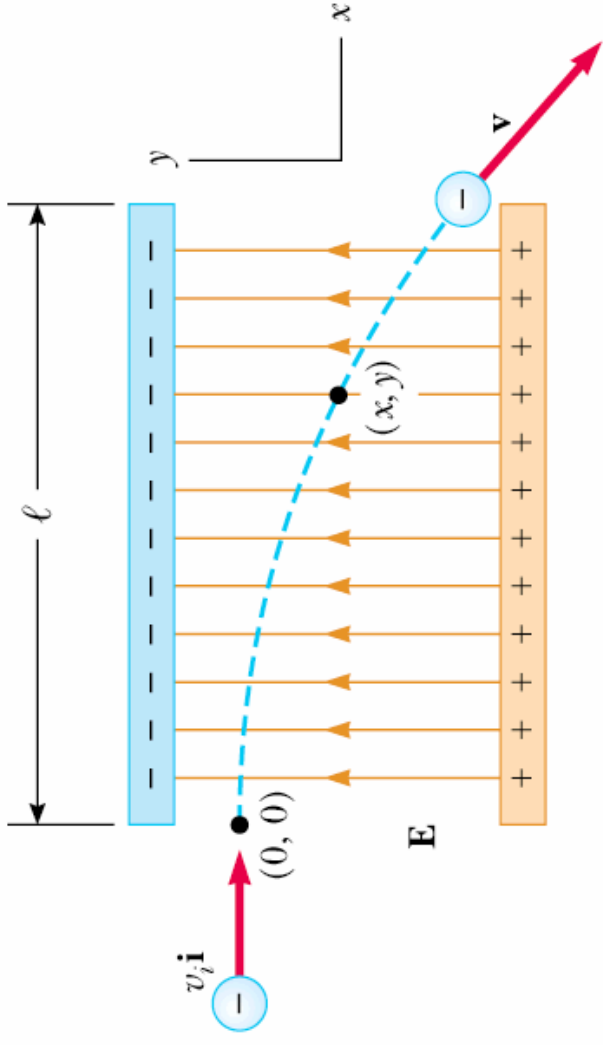
- Same direction as the electric field vector at any point.
- \mathbf{E} is tangent to the electric field line
- Number of lines perpendicular to the lines is proportional to the field
 - E small: lines further apart
 - E large: Lines closer
- No two lines can cross

Lines begin on a positive charges and end of negative charges

$1/r^2$ behavior from geometry.

Motion of Charged Particles in a Uniform Electric Field

$$\mathbf{F}_e = q\mathbf{E} = m\mathbf{a}$$
$$\Rightarrow \mathbf{a} = \frac{q\mathbf{E}}{m}$$

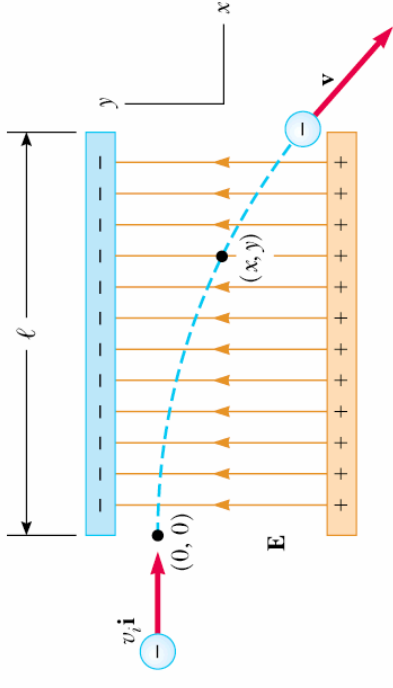


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47. A proton moved at 4.5×10^5 m/s in the horizontal direction. It enters a uniform vertical electric field of 9.6×10^3 N/C. Find:
- The time it takes the proton to travel 5 cm horizontally.
 - Its vertical displacement after it has reached 5 cm horizontally
 - The vertical and horizontal components of its velocity at this point.

47. A proton moved at 4.5×10^5 m/s in the horizontal direction. It enters a uniform vertical electric field of 9.6×10^3 N/C. Find:

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Serway, Physics for Scientists and Engineers, 5/e
Figure 23.25

23.47 (a) $t = \frac{x}{v} = \frac{0.0500}{4.50 \times 10^5} = 1.11 \times 10^{-7} \text{ s} = \boxed{111 \text{ ns}}$

(b) $a_y = \frac{qE}{m} = \frac{(1.602 \times 10^{-19})(9.60 \times 10^3)}{(1.67 \times 10^{-27})} = 9.21 \times 10^{11} \text{ m/s}^2$

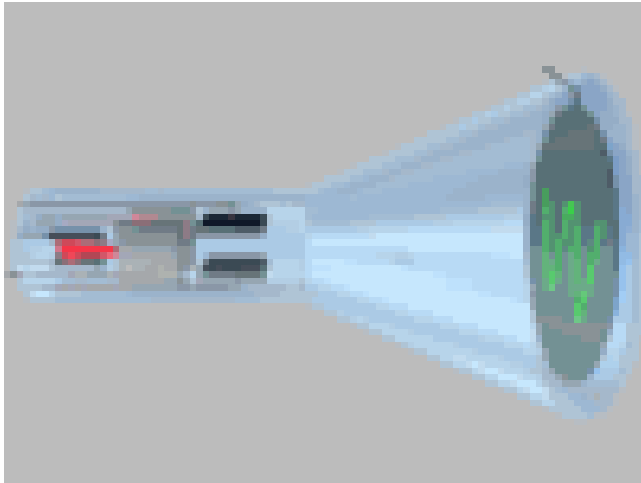
$$y - y_i = v_{yi}t + \frac{1}{2}a_y t^2$$

$y = \frac{1}{2}(9.21 \times 10^{11})(1.11 \times 10^{-7})^2 = 5.67 \times 10^{-3} \text{ m} = \boxed{5.67 \text{ mm}}$

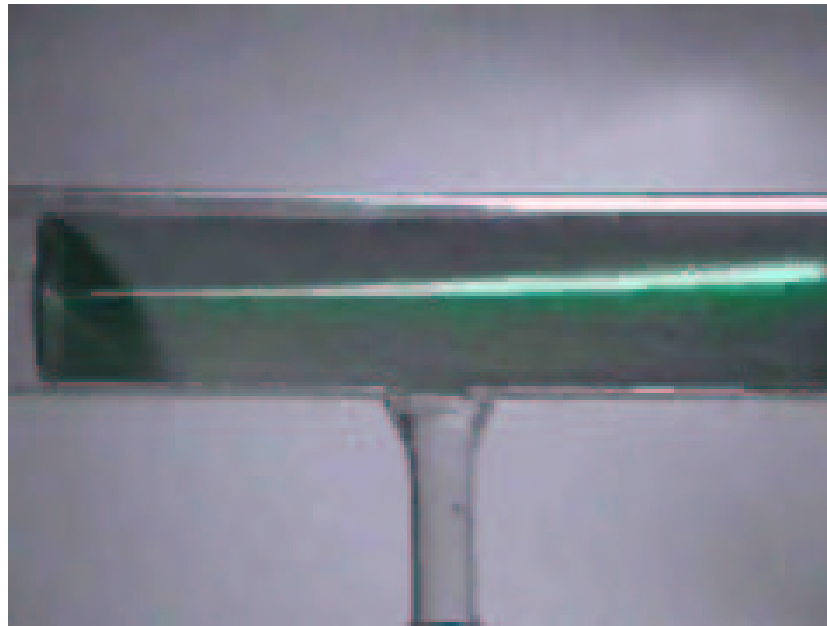
(c) $v_x = \boxed{4.50 \times 10^5 \text{ m/s}}$

$v_y = v_{yi} + a_y t = (9.21 \times 10^{11})(1.11 \times 10^{-7}) = \boxed{1.02 \times 10^5 \text{ m/s}}$

Cathode Ray Tube



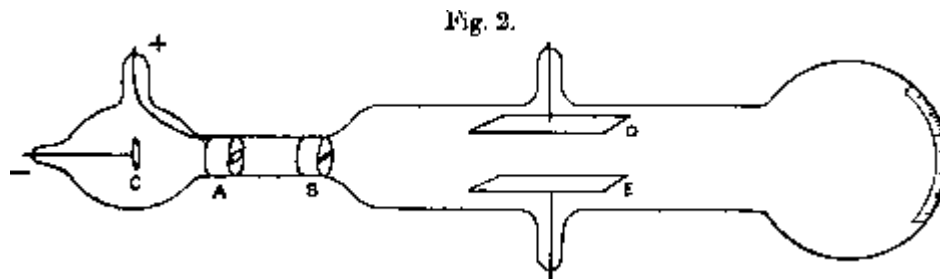
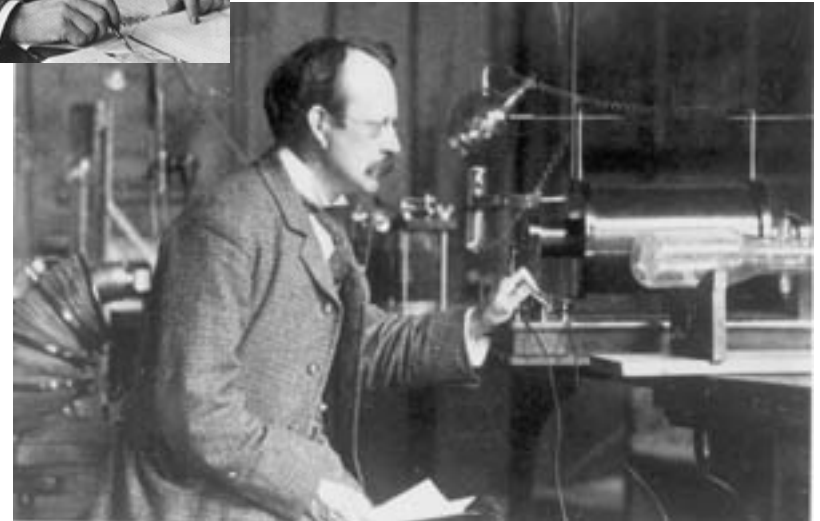
Changing E field applied on the deflection plate (electrodes) moves the electron beam.



Cathode Ray Tube (CRT)

• **J. J. Thomson Used a CRT to discover the electron in 1897**

• **Physics Nobel Prize in 1906**



Used in many applications:

- **TV**
- **Oscilloscope**
- **(old fashioned) computer monitors !**

Front Page World
You are in: UK
Friday, 27 July, 2001, 15:42 GMT 16:42 UK

R.I.P. Cathode ray tube monitor



CATHODE RAY TUBE MONITOR, slipped away quietly after a lifetime dedicated to public service, Hitachi has announced.

Closing its £333.8m-a-year cathode ray tube (CRT) operation the electronics company said: "There are no prospects for growth of the monitor CRT market."

Confusion surrounds the birth of the tube monitor, with some putting its age at 106 (though a German birth certificate has been found dated 1855).

It appears unlikely the centenarian ever knew the true identity of its father - with X-ray pioneer William Roentgen, electron experimenter JJ Thompson and Nobel prize-winning physicist Karl Ferdinand Braun all in the frame.



CRT: Always there with a friendly word

See also:

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- 11 May 01 | UK R.I.P. British Airways' funky tailfins
- 13 Apr 01 | UK R.I.P. Industry Standard Europe

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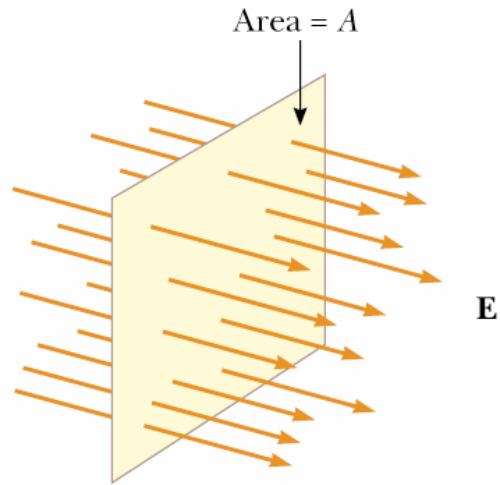
- Postcode lottery in GP services
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- Police shoot man on the M6
- New challenge excites Venables
- Judge urges life sentence shake-up

Links to more UK stories are at the foot of the page.

In its youth, CRT devoted its considerable energies to the pursuit

Electric Flux

Proportional to the number of electric field lines penetrating a surface.

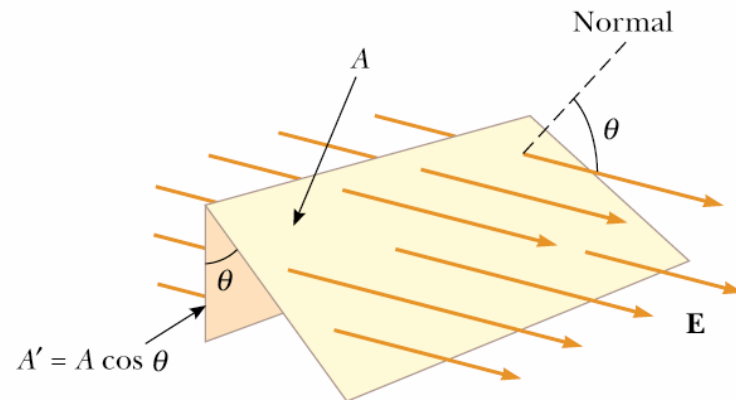


$$\Phi_E = EA$$

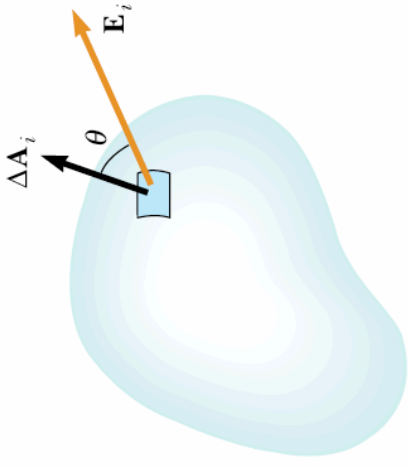
Harco Serway, Physics for Scientists and Engineers, 5/e
Figure 24.2

$$\Phi_E = EA \cos \theta$$

$$\Phi_E = \mathbf{E} \cdot \mathbf{A}$$



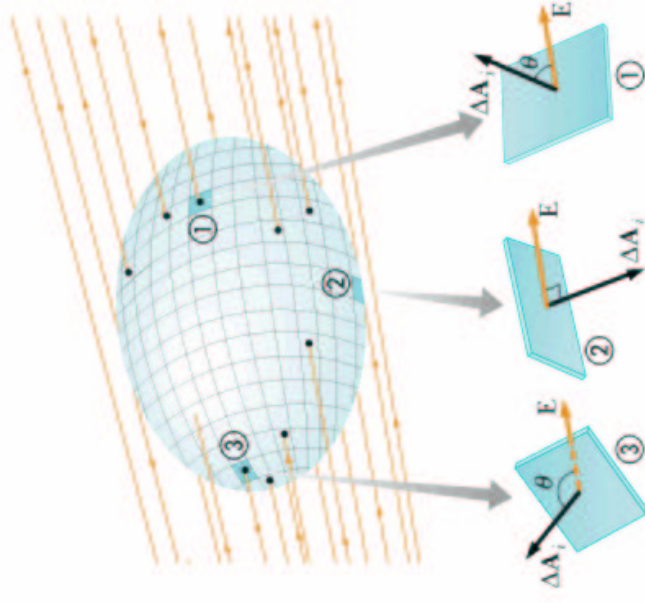
Harcourt, Inc.



Harcourt, Inc.

$$\Phi_E = \int \mathbf{E} \cdot d\mathbf{A}$$

Senway, Physics for Scientists and Engineers, 5/e
Figure 24.4



Harcourt, Inc.

24.5 (a) $A' = (10.0 \text{ cm})(30.0 \text{ cm})$

$$A' = 300 \text{ cm}^2 = 0.0300 \text{ m}^2$$

$$\Phi_{E, A'} = EA' \cos \theta$$

$$\Phi_{E, A'} = (7.80 \times 10^4)(0.0300) \cos 180^\circ$$

$$\Phi_{E, A'} = \boxed{-2.34 \text{ kN} \cdot \text{m}^2/\text{C}}$$

(b) $\Phi_{E, A} = EA \cos \theta = (7.80 \times 10^4)(A) \cos 60.0^\circ$

$$A = (30.0 \text{ cm})(w) = (30.0 \text{ cm}) \left(\frac{10.0 \text{ cm}}{\cos 60.0^\circ} \right) = 600 \text{ cm}^2 = 0.0600 \text{ m}^2$$

$$\Phi_{E, A} = (7.80 \times 10^4)(0.0600) \cos 60^\circ = \boxed{+2.34 \text{ kN} \cdot \text{m}^2/\text{C}}$$

(c) The bottom and the two triangular sides all lie *parallel* to \mathbf{E} , so $\Phi_E = 0$ for each of these. Thus,

$$\Phi_{E, \text{total}} = -2.34 \text{ kN} \cdot \text{m}^2/\text{C} + 2.34 \text{ kN} \cdot \text{m}^2/\text{C} + 0 + 0 + 0 = \boxed{0}$$

