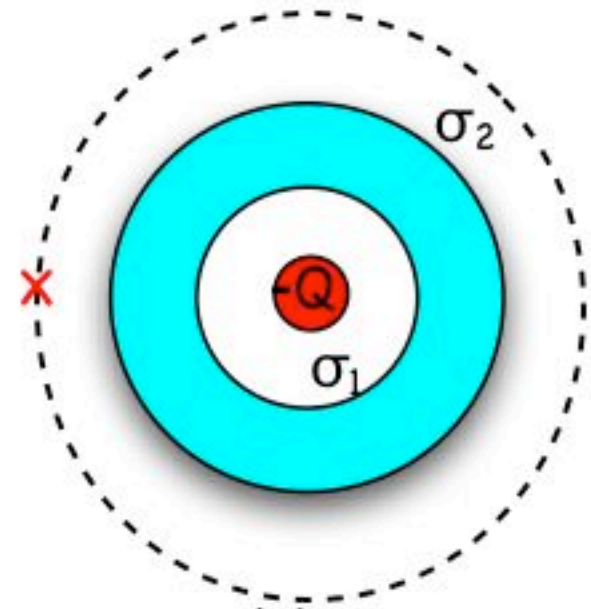


Consider the following two topologies:

- a) A solid non-conducting sphere carries charge  $Q = -3 \mu\text{C}$ , and is surrounded by an uncharged conducting spherical shell.
- b) Same as (a) but conducting shell removed.



Compare the electric field at point X in cases a and b:

1)  $E_a < E_b$

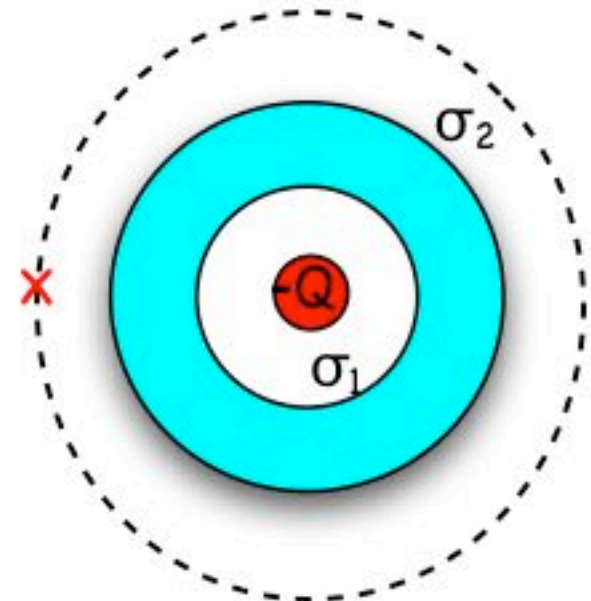
2)  $E_a = E_b$

3)  $E_a > E_b$

Consider the following two topologies:

a) A solid non-conducting sphere carries charge  $Q = -3 \mu\text{C}$ , and is surrounded by an uncharged conducting spherical shell.

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Compare the electric field at point X in cases a and b:

1)  $E_a < E_b$

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3)  $E_a > E_b$

Select a sphere passing through the point X as the Gaussian surface.

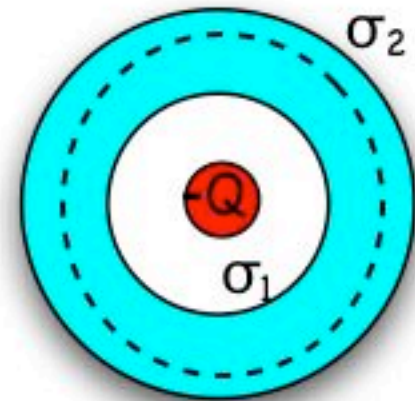
**How much charge does it enclose?**

Answer:  $-Q$ , whether or not the uncharged shell is present.

(The field at point X is determined only by the objects with NET CHARGE.)

Consider the following topologies:

A solid non-conducting sphere carries charge  $Q = -3 \mu\text{C}$ , and is surrounded by an uncharged conducting spherical shell.



What is the surface charge density  $\sigma_1$  on the inner surface of the conducting shell?

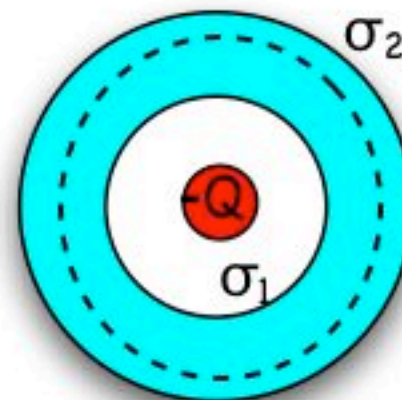
1)  $\sigma_1 < 0$

2)  $\sigma_1 = 0$

3)  $\sigma_1 > 0$

Consider the following topologies:

A solid non-conducting sphere carries charge  $Q = -3 \mu\text{C}$ , and is surrounded by an uncharged conducting spherical shell.



What is the surface charge density  $\sigma_1$  on the inner surface of the conducting shell?

1)  $\sigma_1 < 0$

2)  $\sigma_1 = 0$

3)  $\sigma_1 > 0$

Inside the conductor, we know the field:  $E = 0$ .

Select a Gaussian surface **inside the conductor**

Since  $E = 0$  on this surface, the total enclosed charge must be 0

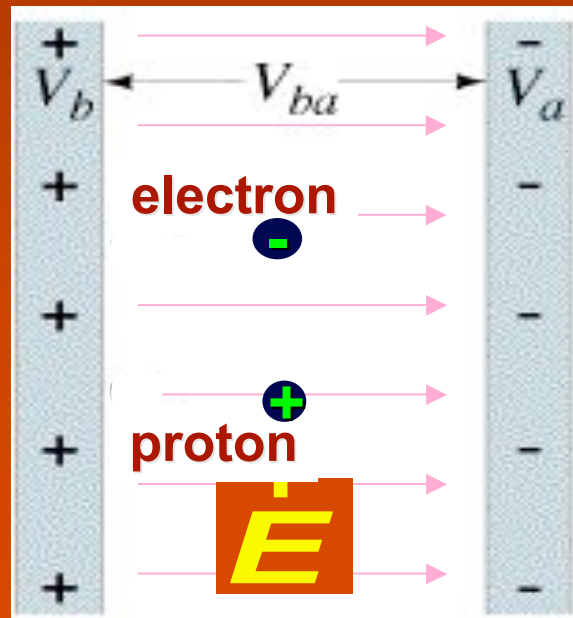
Therefore  $\sigma_1$  must be positive, to cancel the charge  $-Q$

By the way, to calculate the actual value:  $\sigma_1 = Q/(4 \pi r_1^2)$

## ConceptTest 24.1c Electric Potential Energy III

A **proton** and an **electron** are in a constant electric field created by oppositely charged plates. You release the **proton** from the **positive** side and the **electron** from the **negative** side. When it strikes the opposite plate, which one has more KE?

- 1) **proton**
- 2) **electron**
- 3) **both acquire the same KE**
- 4) **neither – there is no change of KE**
- 5) **they both acquire the same KE but with opposite signs**

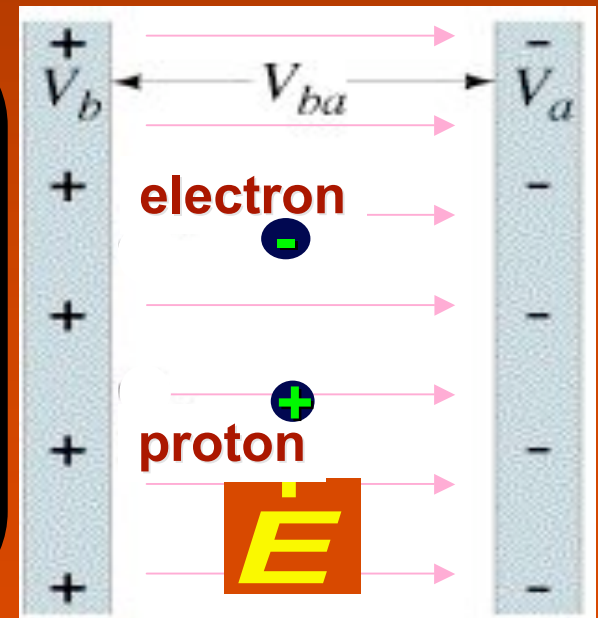


## ConceptTest 24.1c Electric Potential Energy III

A **proton** and an **electron** are in a constant electric field created by oppositely charged plates. You release the **proton** from the **positive** side and the **electron** from the **negative** side. When it strikes the opposite plate, which one has more KE?

- 1) proton
- 2) electron
- 3) both acquire the same KE
- 4) neither – there is no change of KE
- 5) they both acquire the same KE but with opposite signs

Since  $PE = qV$  and the proton and electron have the same charge in magnitude, they both have the same electric potential energy initially. Because energy is conserved, they both must have the same kinetic energy after they reach the opposite plate.



## ConceptTest 24.4 Hollywood Square

Four point charges are arranged at the corners of a square. Find the **electric field  $E$**  and the **potential  $V$**  at the **center of the square**.

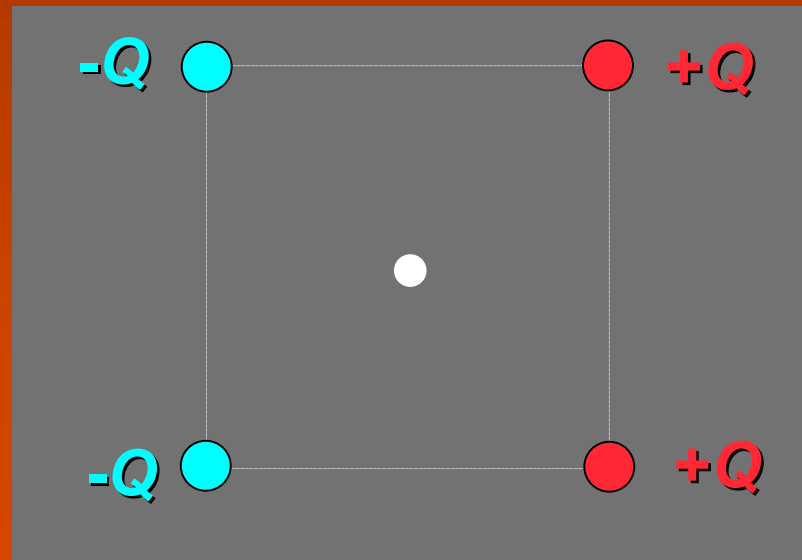
1)  $E = 0$     $V = 0$

2)  $E = 0$     $V \neq 0$

3)  $E \neq 0$     $V \neq 0$

4)  $E \neq 0$     $V = 0$

5)  $E = V$  regardless of the value



## ConceptTest 24.4 Hollywood Square

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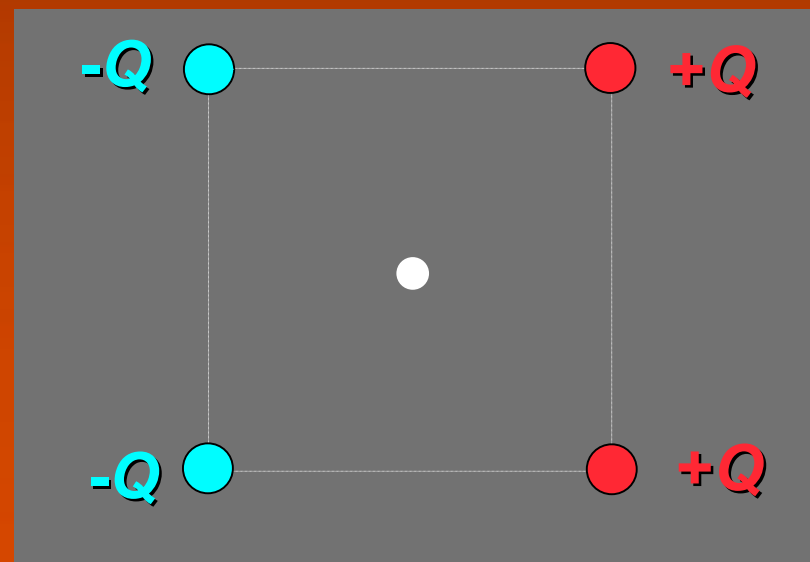
4)  $E \neq 0$     $V = 0$

5)  $E = V$  regardless of the value

The **potential is zero**: the scalar contributions from the two positive charges cancel the two minus charges.

However, the contributions from the electric field add up as vectors, and they do not cancel (so **it is non-zero**).

**Follow-up:** What is the direction of the electric field at the center?

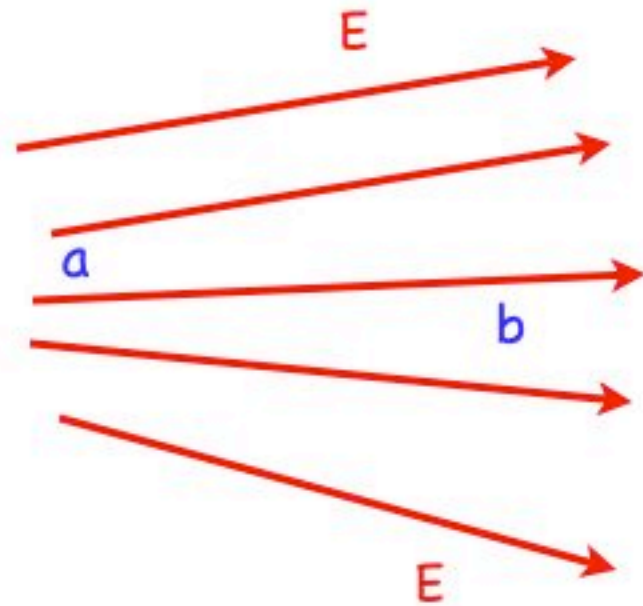




## Question

Two points a) and b) are located where there is an electric field. Is the potential difference  $\Delta V = V_b - V_a$

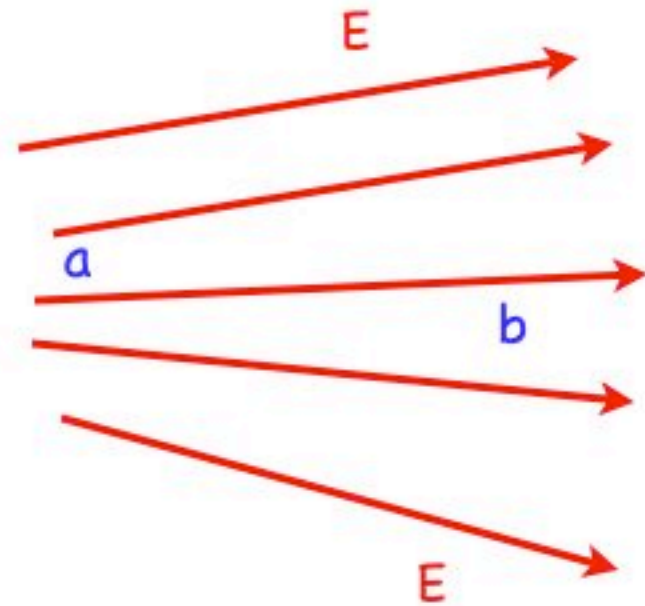
- i) positive    ii) negative    iii) zero?



## Answer

Two points a) and b) are located where there is an electric field. Is the potential difference  $\Delta V = V_b - V_a$

i) positive    **ii) negative**    iii) zero?



$$\Delta V = - \int_a^b \vec{E} \cdot d\vec{s}$$

Electric field lines always point in the direction of decreasing electric potential

## ConceptTest 24.7b Work and Electric Potential II

Which requires **zero work**, to move a **positive** charge from  **$P$**  to points **1, 2, 3** or **4**? All points are the same distance from  **$P$** .

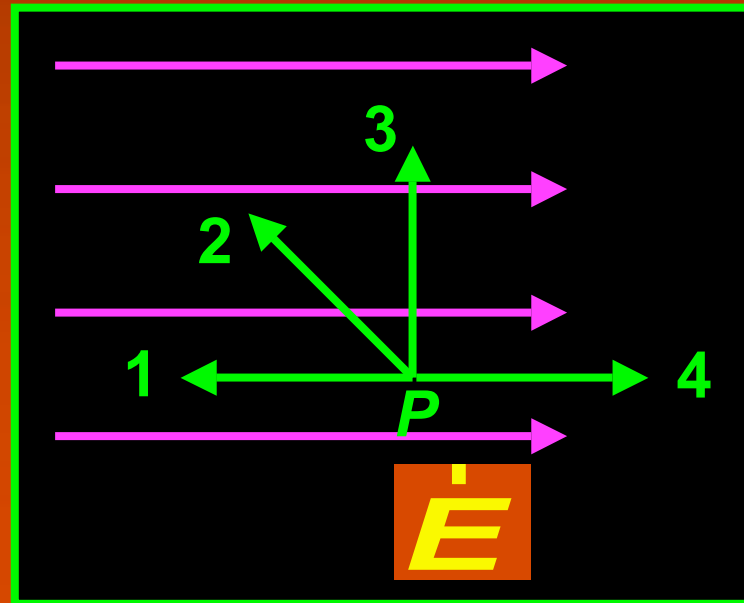
1)  $P \rightarrow 1$

2)  $P \rightarrow 2$

3)  $P \rightarrow 3$

4)  $P \rightarrow 4$

5) all require the same amount of work



## ConceptTest 24.7b Work and Electric Potential II

Which requires **zero work**, to move a **positive** charge from **P** to points **1**, **2**, **3** or **4**? All points are the same distance from **P**.

1)  $P \rightarrow 1$

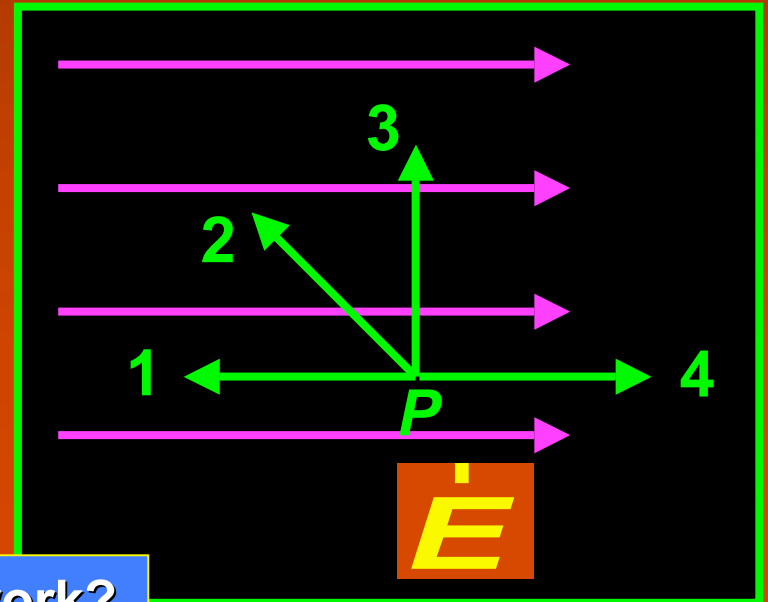
2)  $P \rightarrow 2$

3)  $P \rightarrow 3$

4)  $P \rightarrow 4$

5) all require the same amount of work

For **path #3**, you are moving in a direction perpendicular to the field lines. This means you are moving along an equipotential, which requires no work (by definition).



Follow-up: Which path requires the least work?