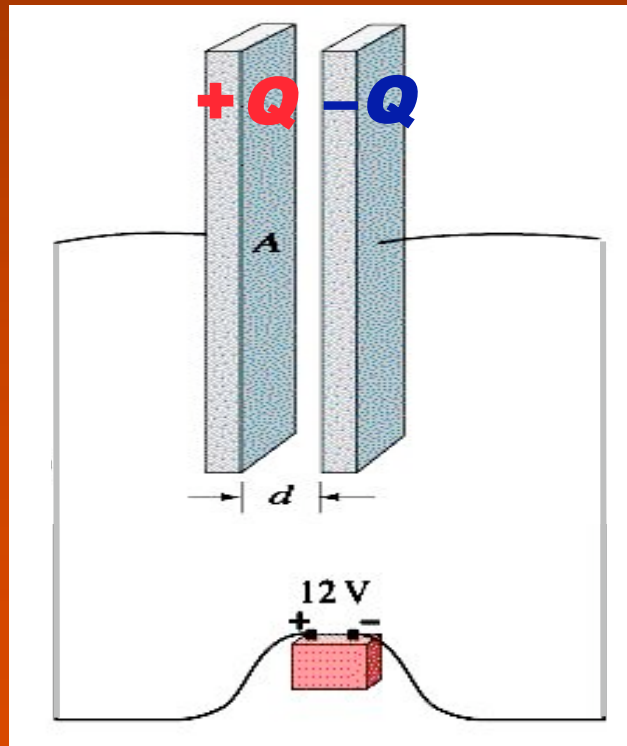


ConceptTest 25.1 Capacitors

Capacitor C_1 is connected across a battery of 5 V . An identical capacitor C_2 is connected across a battery of 10 V . Which one has the most charge?

- 1) C_1
- 2) C_2
- 3) both have the same charge
- 4) it depends on other factors



ConceptTest 25.1 Capacitors

Capacitor C_1 is connected across a battery of 5 V . An identical capacitor C_2 is connected across a battery of 10 V . Which one has the most charge?

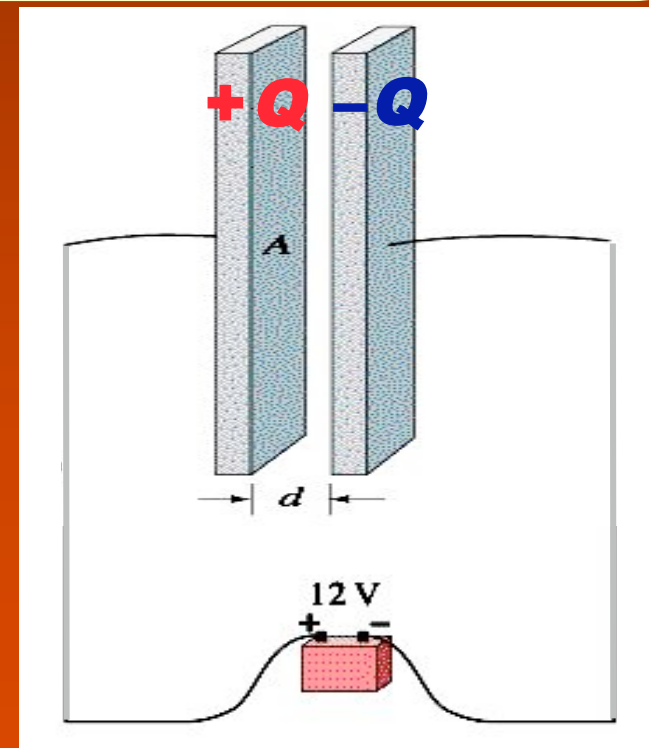
1) C_1

2) C_2

3) both have the same charge

4) it depends on other factors

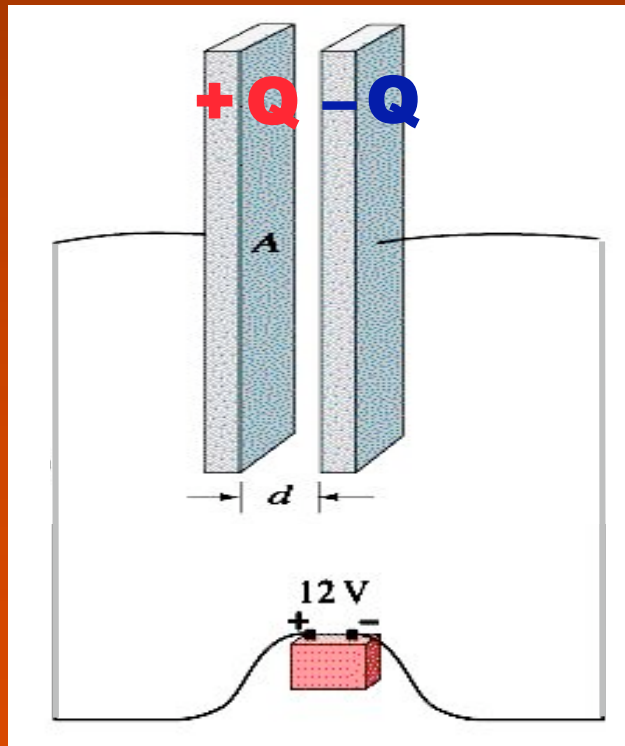
Since $Q = CV$ and the two capacitors are identical, the one that is connected to the greater voltage has the most charge, which is C_2 in this case.



ConceptTest 25.2a Varying Capacitance I

What must be done to a capacitor in order to increase the amount of charge it can hold (for a constant voltage)?

- 1) increase the area of the plates
- 2) decrease separation between the plates
- 3) decrease the area of the plates
- 4) either (1) or (2)
- 5) either (2) or (3)

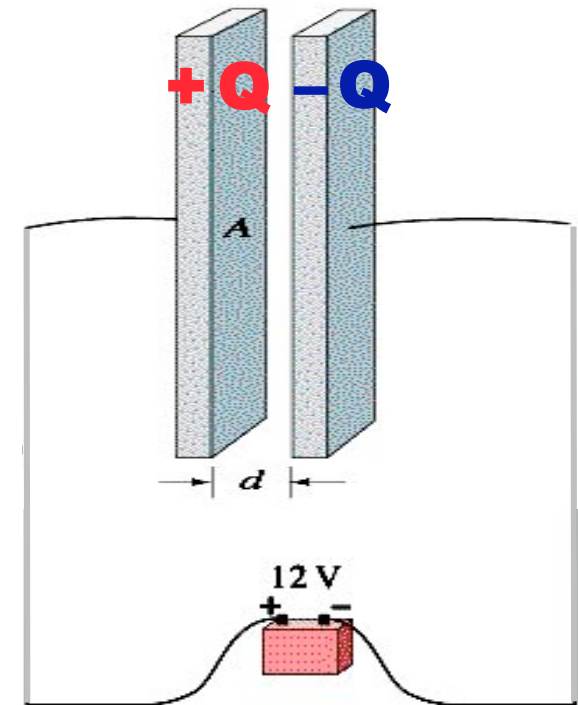


ConceptTest 25.2a Varying Capacitance I

What must be done to a capacitor in order to increase the amount of charge it can hold (for a constant voltage)?

- 1) increase the area of the plates
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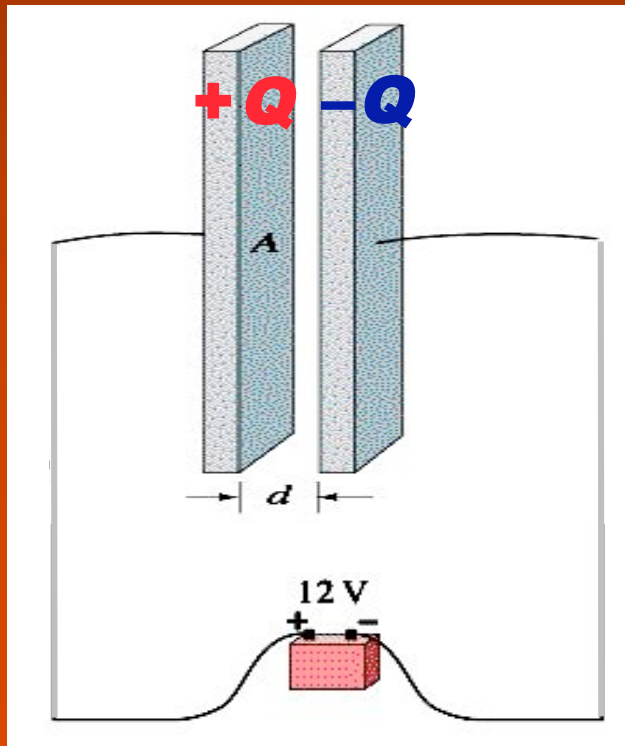
Since $Q = CV$, in order to increase the charge that a capacitor can hold at constant voltage, one has to **increase its capacitance**. Since the capacitance is given by $C = \epsilon_0 \frac{A}{d}$, that can be done by either **increasing A** or **decreasing d** .



ConceptTest 25.2b Varying Capacitance II

A parallel-plate capacitor initially has a voltage of **400 V** and *stays connected to the battery*. If the plate spacing is now **doubled**, what happens?

- 1) the voltage decreases
- 2) the voltage increases
- 3) the charge decreases
- 4) the charge increases
- 5) both voltage and charge change



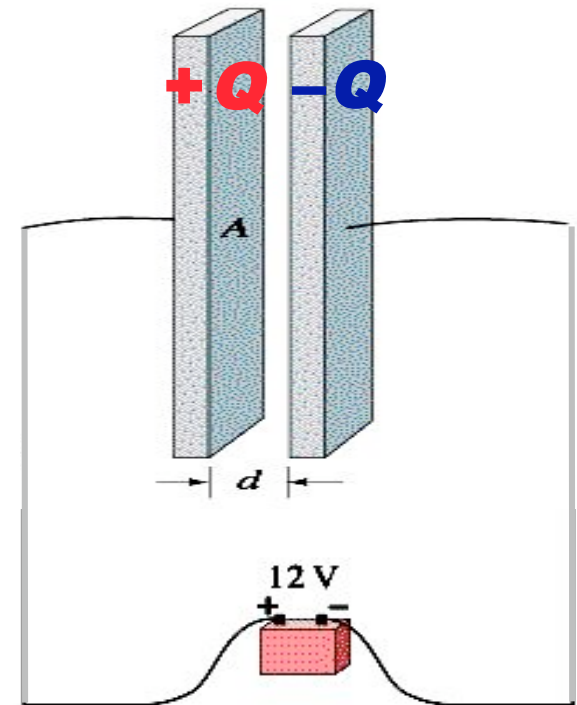
ConceptTest 25.2b Varying Capacitance II

A parallel-plate capacitor initially has a voltage of **400 V** and *stays connected to the battery*. If the plate spacing is now **doubled**, what happens?

- 1) the voltage decreases
- 2) the voltage increases
- 3) the charge decreases
- 4) the charge increases
- 5) both voltage and charge change

Since the battery stays connected, the voltage must remain constant! Since $C = \epsilon_0 \frac{A}{d}$ when the spacing d is doubled, the capacitance C is halved. And since $Q = C V$, that means the **charge must decrease**.

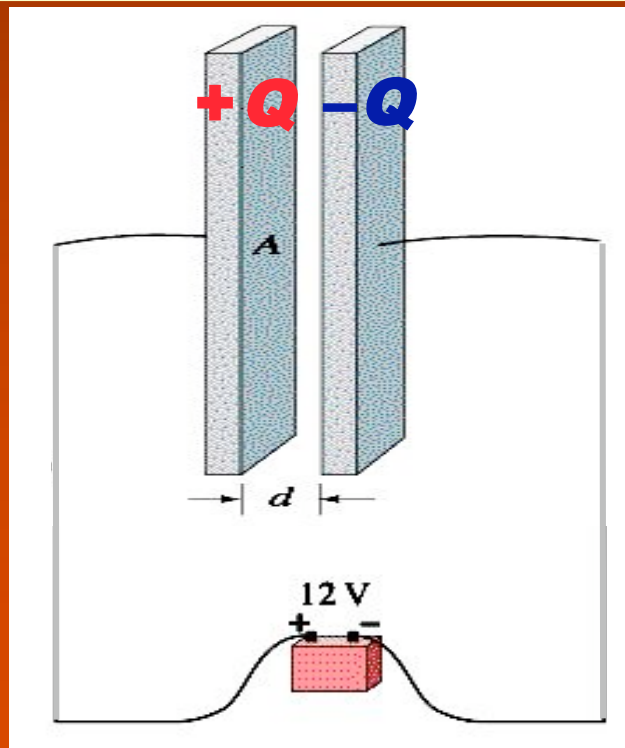
Follow-up: How do you increase the charge?



ConceptTest 25.2c Varying Capacitance II

A parallel-plate capacitor initially has a potential difference of **400 V** and is then disconnected from the charging battery. If the plate spacing is now **doubled** (without changing Q), what is the new value of the voltage?

- 1) 100 V
- 2) 200 V
- 3) 400 V
- 4) 800 V
- 5) 1600 V

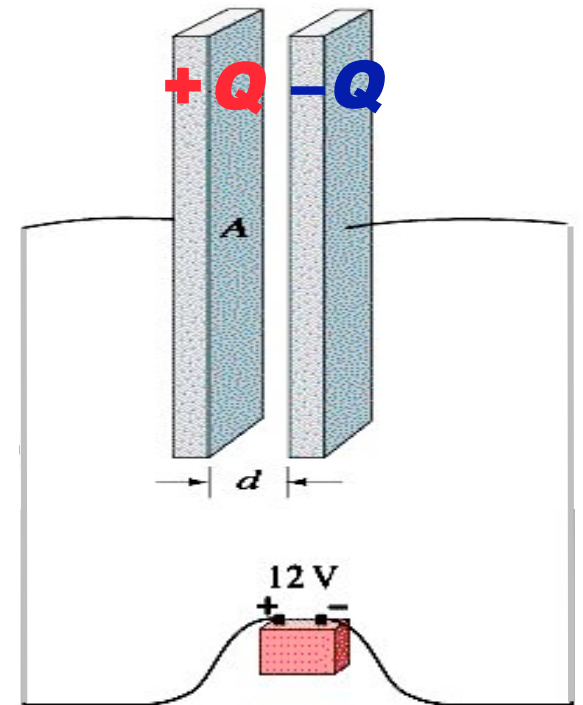


ConceptTest 25.2c Varying Capacitance II

A parallel-plate capacitor initially has a potential difference of **400 V** and is then disconnected from the charging battery. If the plate spacing is now **doubled** (without changing Q), what is the new value of the voltage?

- 1) 100 V
- 2) 200 V
- 3) 400 V
- 4) 800 V
- 5) 1600 V

Once the battery is disconnected, Q has to remain constant, since no charge can flow either to or from the battery. Since $C = \epsilon_0 \frac{A}{d}$ when the spacing d is doubled, the capacitance C is halved. And since $Q = C V$, that means the **voltage must double**.

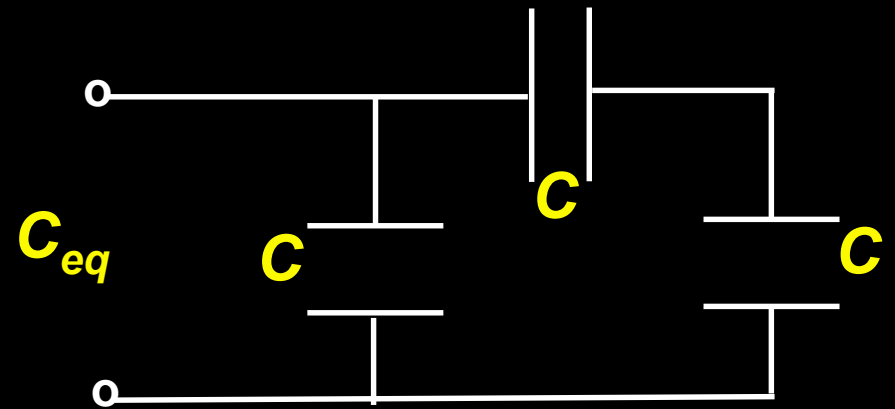


ConceptTest 25.3a

Capacitors I

What is the equivalent capacitance, C_{eq} , of the combination below?

- 1) $C_{eq} = 3/2 C$
- 2) $C_{eq} = 2/3 C$
- 3) $C_{eq} = 3 C$
- 4) $C_{eq} = 1/3 C$
- 5) $C_{eq} = 1/2 C$



ConceptTest 25.3a

Capacitors I

What is the equivalent capacitance, C_{eq} , of the combination below?

1) $C_{eq} = 3/2 C$

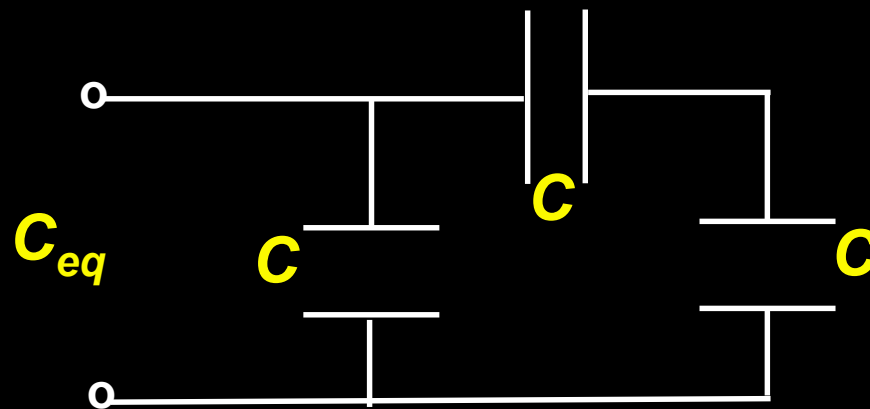
2) $C_{eq} = 2/3 C$

3) $C_{eq} = 3 C$

4) $C_{eq} = 1/3 C$

5) $C_{eq} = 1/2 C$

The 2 equal capacitors in **series** add up as **inverses**, giving $1/2 C$. These are **parallel** to the first one, which add up **directly**. Thus, the total equivalent capacitance is $3/2 C$.

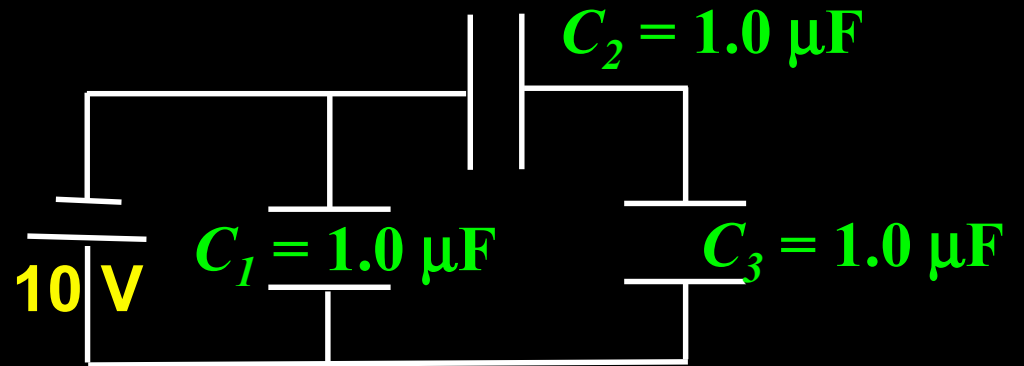


ConceptTest 25.3b

Capacitors II

How does the voltage V_1 across the first capacitor (C_1) compare to the voltage V_2 across the second capacitor (C_2)?

- 1) $V_1 = V_2$
- 2) $V_1 > V_2$
- 3) $V_1 < V_2$
- 4) all voltages are zero



ConceptTest 25.3b

Capacitors II

How does the voltage V_1 across the first capacitor (C_1) compare to the voltage V_2 across the second capacitor (C_2)?

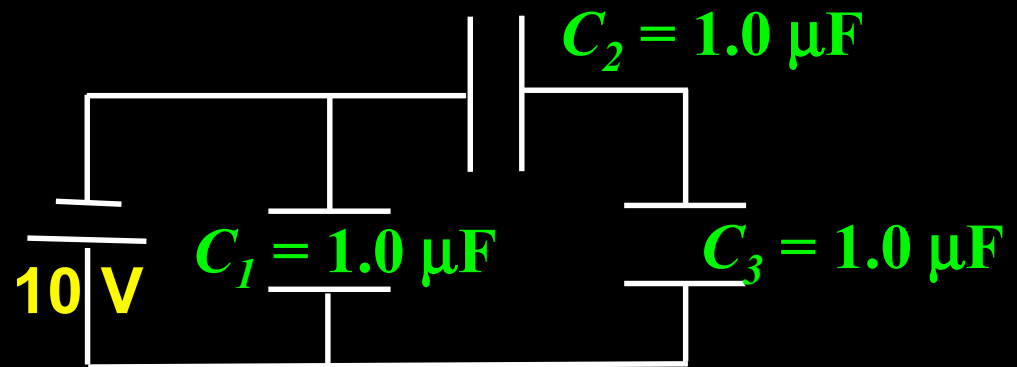
1) $V_1 = V_2$

2) $V_1 > V_2$

3) $V_1 < V_2$

4) all voltages are zero

The voltage across C_1 is 10 V. The combined capacitors C_2+C_3 are parallel to C_1 . The voltage across C_2+C_3 is also 10 V. Since C_2 and C_3 are in series, their voltages add. Thus the voltage across C_2 and C_3 each has to be 5 V, which is less than V_1 .



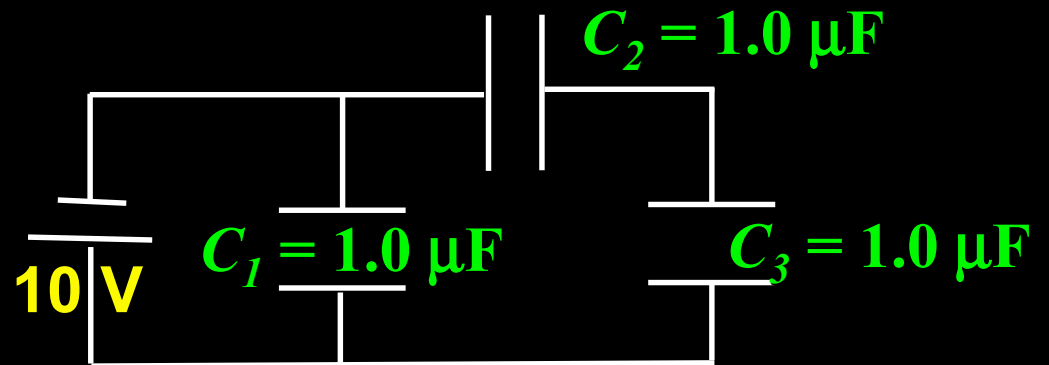
Follow-up: What is the current in this circuit?

ConceptTest 25.3c

Capacitors III

How does the charge Q_1 on the first capacitor (C_1) compare to the charge Q_2 on the second capacitor (C_2)?

- 1) $Q_1 = Q_2$
- 2) $Q_1 > Q_2$
- 3) $Q_1 < Q_2$
- 4) all charges are zero



ConceptTest 25.3c

Capacitors III

How does the charge Q_1 on the first capacitor (C_1) compare to the charge Q_2 on the second capacitor (C_2)?

1) $Q_1 = Q_2$

2) $Q_1 > Q_2$

3) $Q_1 < Q_2$

4) all charges are zero

We already know that the voltage across C_1 is 10 V and the voltage across C_2 and C_3 each is 5 V. Since $Q = CV$ and C is the same for all the capacitors, then since $V_1 > V_2$ therefore $Q_1 > Q_2$.

